

All-Unit Overview/Organizer

<p style="text-align: center;">Kinematics</p> <ul style="list-style-type: none"> Linear motion (acceleration) Projectile Motion (moving in X & Y) <ul style="list-style-type: none"> Make an X & Y chart X and Y are <i>independent</i> Vectors & Scalars <ul style="list-style-type: none"> Adding & Subtracting Vectors – X & Y are independent and must be added X to X ONLY and Y to Y ONLY (component form) $x = x_0 + v_0t + \frac{1}{2}at^2$ $v = v_0 + at$ $v^2 = v_0^2 + 2ad$ $a = \frac{\Delta v}{t}$ $v = \frac{\Delta x}{t}$ 	<p style="text-align: center;">Forces & Dynamics</p> <ul style="list-style-type: none"> MAKE A Free Body Diagram Use magnitude & direction (w/ θ) for graded FBD's When more than 1 “thing”, draw FBD's for all. When more than 1 “thing” is attached, draw FBD's & “positive rainbow” F_N when an object rests on a surface T when there is a rope/chain/string etc $\Sigma F_y = ma_y$ $\Sigma F_x = ma_x$ <ul style="list-style-type: none"> Do for all objects, in all directions UNLESS you know you don't need one. When $\Sigma F = 0$, then $a = 0$, which means not moving OR constant speed. $F_f = \mu F_N$
<p style="text-align: center;">Circular Motion</p> <ul style="list-style-type: none"> Anything going in a circle – not just rotating in place $a_c = v^2/r \rightarrow r$ is the radius of the ENTIRE circle <ul style="list-style-type: none"> In gravitation, radius of the circle goes from center of mass to center of mass (IE, you need to include the radius of the earth for orbiting masses) $F_g = \frac{Gm_1m_2}{r^2}$ Net force AND acceleration (a_c) both point to the center of the circle. F_f = net force for flat track F_g = net force for gravitation F_{gx} = Banked curve (F_{gx} contributes to net force along with F_f) 	<p style="text-align: center;">Simple Harmonic Motion</p> <ul style="list-style-type: none"> Oscillates – restoring force Sin & cos x, v, a graphs Pendulums & oscillating springs $T = 1/f$ $x(t) = A \cos(2\pi ft)$ Equilibrium @ $x = 0$ K spring constant, Hooke's Law $F = kx$ $T_p = 2\pi(L/g)^{1/2}$ $T_s = 2\pi(m/k)^{1/2}$ T = period (time for one oscillation)
<p style="text-align: center;">Work & Energy</p> <ul style="list-style-type: none"> Kinetic & Potential Spring Potential and Gravitational Potential Closed system – energy is conserved Work = $\Delta E = Fd \cos(\theta) \rightarrow \theta$ is between F and d Power = $\Delta E/t$ = Watts Asked ourselves, <i>where</i> is the object, <i>what</i> type(s) of energy does it have, <i>where</i> is that energy going *useful when there is a change in height* Energy can be transferred 	<p style="text-align: center;">Momentum</p> <ul style="list-style-type: none"> COLLISIONS Elastic – energy is conserved Inelastic – energy is NOT conserved AND they stick together (become 1 mass) $p = mv$ Conservation of momentum says $p_i = p_f$ $\Sigma P_i = \Sigma P_f$ Momentum is conserved in BOTH DIRECTIONS (X & Y still separate) Think of pool balls

<p style="text-align: center;">Rotational Motion & Torque</p> <ul style="list-style-type: none"> • Used rotational kinematic equations to solve similar to kinematics • $\Theta = \frac{x}{r}$ = angular displacement (after some time) • $\omega = \frac{v}{r}$ = angular velocity (same initial, final, etc as kinematics) • $\alpha = \frac{a}{r}$ = angular acceleration • $\Sigma\tau = I\alpha$ (torque = moment of inertia * angular acceleration). Used like $\Sigma F = ma$ • $\tau = rF\sin\theta \rightarrow$ torque caused by an individual force (some distance away r) • We can pick where to place our center of rotation in a static (not moving) problem – we can make $r=0$ and eliminate variables this way. • Clockwise rotation (rotates like a negative angle) = negative torque, counterclockwise rotation (sweeps out a positive angle) is a positive torque 	<p style="text-align: center;">Electrostatics</p> <ul style="list-style-type: none"> • Transfer of electrons based on <i>electron affinity</i> of two surfaces • Charging via Induction, Conduction, Friction • Loses electrons \rightarrow net positive charge; gains electrons \rightarrow net negative charge • $F_E = \frac{kq_1q_2}{r^2} \rightarrow$ force between charged objects • Electrons flow in conductors, not in insulators (although insulators can be charged via friction) • Like charges repel (opposites attract) • Check out Electrostatic videos on wikispace
<p style="text-align: center;">Circuits</p> <ul style="list-style-type: none"> • $V=IR \rightarrow$ voltage = current * resistance • $P=IV \rightarrow$ power = current * voltage • Find R_{eq} <ul style="list-style-type: none"> • Find series R, add them up • Find // R, $\frac{1}{R_{eq}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \dots$ • Repeat • Loop Law – sum of the voltages around a loop = 0 • Current Law – what goes into a junction must come out of a junction ($\Sigma I_{in} = \Sigma I_{out}$) • Use loop law, current law, ohm's law to substitute and solve 	<p style="text-align: center;">Waves & Sound</p> <ul style="list-style-type: none"> • Wave – moves energy place to place • Transverse and longitudinal (sound) • Standing waves (oscillation) <ul style="list-style-type: none"> • Nodes & Anti-nodes, harmonics • Interference – 2 waves in the same place at the same time, add them. • Boundary Conditions <ul style="list-style-type: none"> • Free end, fixed end, thin \rightarrow thick, thick \rightarrow thin • Sound – difference in air pressure (rarefaction & condensation) • Beat phenomena (oscillation in loudness from 2 different frequencies) • Closed & open resonators